

# **Sampling Plan and Statistical Considerations for the Long Term Field Evaluations Project**

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# Outline

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- **Outcome Definition**
- **General Approach**
- **Estimating the Required Sample Size**
- **Overall Sampling Strategy**
- **Additional Sampling Issues**
- **Secondary Analyses**
- **Conclusions**

# Outcome Definition

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- **Criteria:**
  - Minimum O<sub>2</sub>  $\geq$  15%
  - Maximum CO<sub>2</sub>  $\leq$  4%
  - Duration  $\geq$  rated duration
- **Formulate a pass/fail outcome**
- **Ideal Goal: 0% failures**
- **Statistical Goal: observe  $\geq$  1 failure if the underlying failure rate is sufficiently high**

# General Approach

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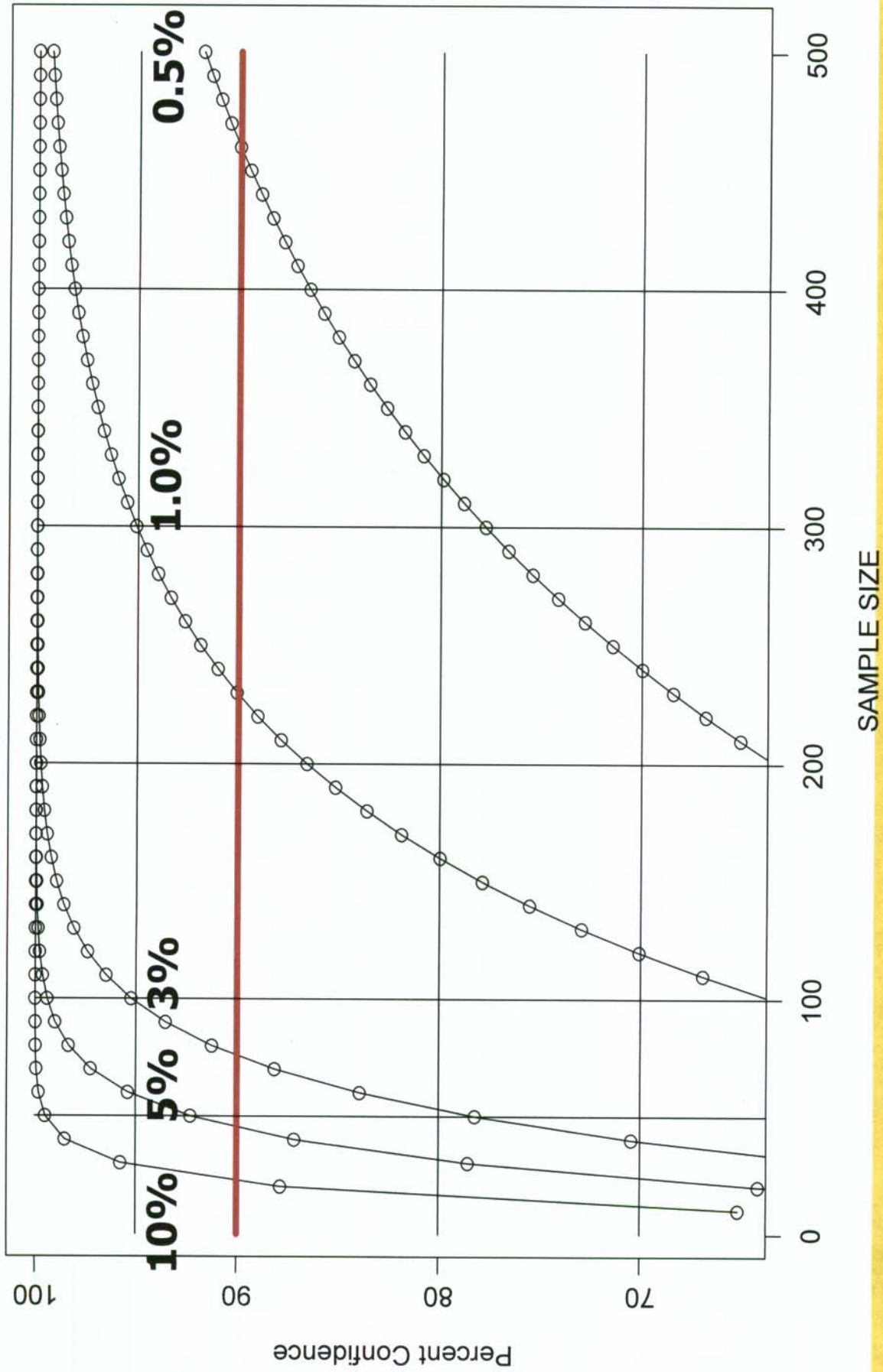
- Assumed failure rate
- Require a certain percent confidence to observe  $\geq 1$  failure
- Solve for the required sample size
- Vary assumed underlying failure rate
- Alternatively, fix the sample size
- Make conclusions regarding sample size
- Other factors in the design

# Some Example Results

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- **Assumed failure rate of 1%**
  - Requires  $n = 230$  to have 90% confidence that we will observe  $\geq 1$  failure
- **Assumed failure rate of 2%**
  - Requires  $n = 115$
- **Assumed failure rate of 3%**
  - Requires  $n = 78$
- **Assumed failure rate of 0.5%**
  - Requires  $n > 500$

# Percent Confidence by Sample Size and Failure Rate



# Examples for a Sample Size of 100

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- **Underlying failure rate of 1%**
  - 63% confidence to observe  $\geq 1$  failure
- **Underlying failure rate of 2%**
  - 87% confidence to observe  $\geq 1$  failure
- **Underlying failure rate of 3%**
  - 95% confidence to observe  $\geq 1$  failure

# Overall Sampling Strategy

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- Determine the total annual sample size (N)
- Use the MSHA inventory to identify all units
- Stratify by the k approved models
- Within each approved model, randomly order the list and select the 1st n units (N/k)
- Evaluate the confidence to observe  $\geq 1$  failure
- Consider the analysis of data over multiple years



# Conclusions about Sample Size

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- **Proposing 400 units tested annually**
- **Primary conclusions specific to a given approved model (currently 4)**
  - $n = 100$  per year per approved model
  - Assuming a sufficiently large population
  - Will modify statistical plans for smaller populations based on MSHA inventory
- **Sufficient sample to observe a failure for a given model if the true rate is 2-3%**

# Additional Sampling Issues

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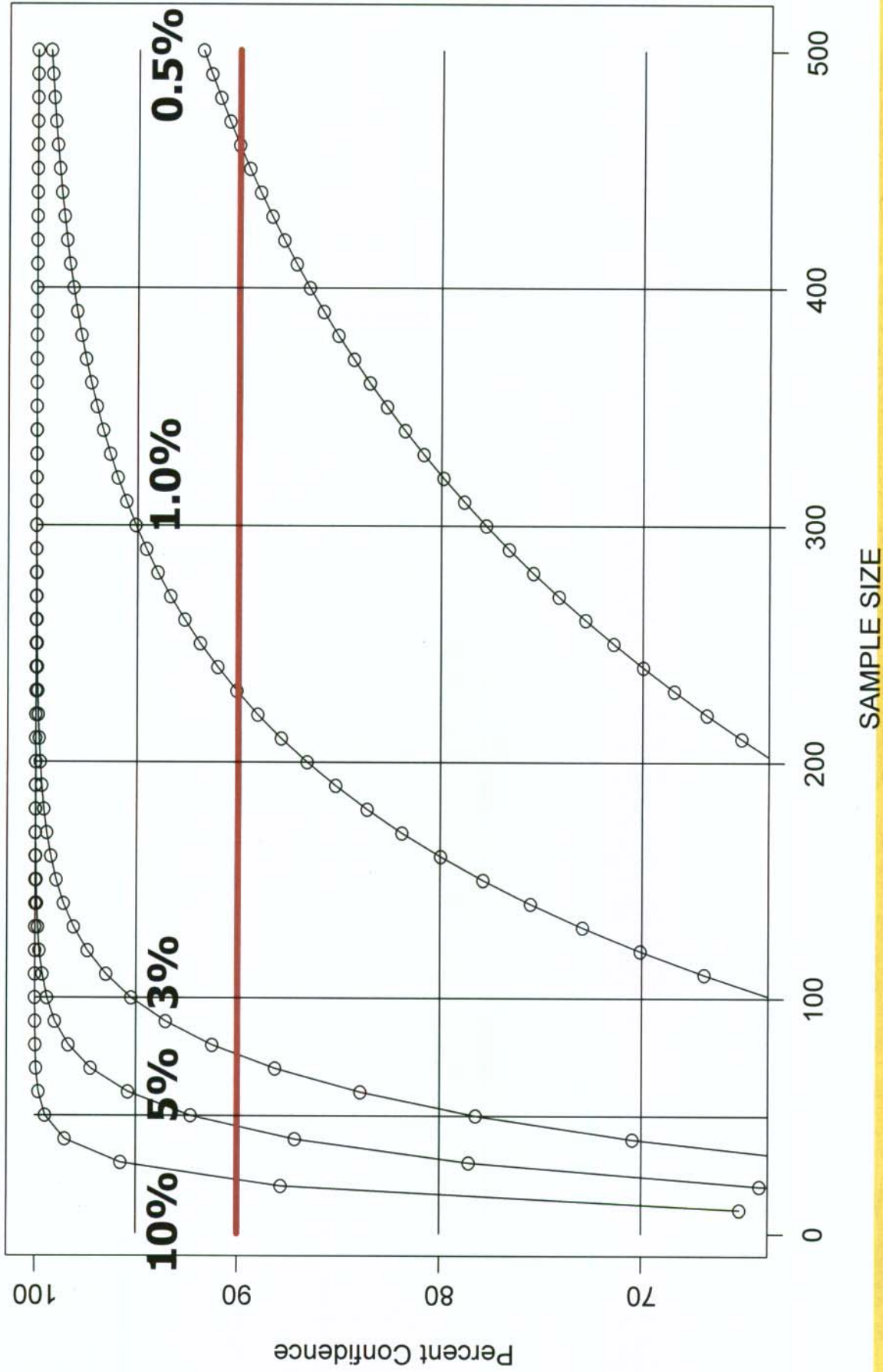
- **Starting Point: k ordered lists**
  - Suspect some missing units
  - Must meet the manufacturer's inspection criteria
- **Will document all events of units not tested**
- **Continue collecting according to the randomly ordered list**
- **Sampling plans allow for programmatic flexibility**
  - EXP: may collect additional units in advance
- **Will maintain strict randomness in the units tested**

# Statistical Goals for a Given Year

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- **n = 100 gives high confidence to observe a failure for models with a failure rate > 2%**
  - 87% confidence given a 2% failure rate
  - 95% confidence given a 3% failure rate
- **n = 75 still gives reasonable confidence to observe a failure rate > 2%**
  - 78% confidence given a 2% failure rate
  - 90% confidence given a 3% failure rate

# Percent Confidence by Sample Size and Failure Rate



# Number of Units Sampled versus Percentage of the Population

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- **Two main issues in specifying sample size**
  - Level of statistical confidence
  - Representativeness of the sample
- **Level of statistical confidence depends on the number of units sampled**
  - Exception: correction for smaller population
  - Will incorporate based on MSHA inventory
- **Representativeness of the sample**
  - Accomplished in this study via 1) identifying the entire population and 2) adhering to strict random sampling

# Analysis for Subsequent Years

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- Accumulate data based on fixed design parameters
- Two main goals:
  - Observe a failure with high confidence assuming lower failure rates
  - Observe a failure with high confidence within a subgroup of units
- Conclusions from multiple years of data are only relevant to some parameters
- Employ statistical approaches to account for systematic differences across different years

# Analyzing Subgroups of Units

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- **Subgroups include (but are not limited to)**
  - Deployment, age, mine height, mine size
  - Some parameters will be difficult to measure
- **Making statements about the percent confidence**
  - Depends on the proportion of units within a given subgroup
  - Depends on systematic differences across years
- **Consider as a secondary analysis**

# Other Secondary Analyses

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- **Collect all available information**
- **Additional outcomes**
  - Rates of units that are missing or do not meet the manufacturer's inspection criteria
  - Minimum O<sub>2</sub>, maximum CO<sub>2</sub> and duration
- **Descriptive analysis: summaries and graphs**
- **Exploratory in nature**



# Strengths and Limitations

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- **Significant improvement over existing data**
- **MSHA inventory: complete enumeration of the entire population of units**
  - Random sample within each approved model
  - Calculate rates of units that are missing or do not meet the manufacturer's inspection criteria
- **Maintaining strict randomization minimizes resulting bias**

# Strengths and Limitations

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- **Challenges in random sampling**
  - Geographical locations or finding specific serial numbers
  - Developing strategies for programmatic flexibility while maintaining randomization
- **Future considerations might include alternative study designs**

# Interpretation of Results

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- **Cannot guarantee performance of every unit with 100% confidence**
- **We can say that if a given model has at least 2-3% of units that do not meet the performance criteria**
  - We will, with a high level of confidence, observe at least 1 failure among sampled units

# Conclusions

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- **Strong experimental design**
  - MSHA inventory and randomization to minimize any systematic errors
- **Standard statistical approaches**
- **High degree of confidence to observe a failure under a range of assumptions**